Supplemental Information: An ion-neutral model to investigate chemical ionization mass spectrometry analysis of atmospheric molecules - application to a mixed reagent ion system for hydroperoxides and organic acids.

Brian G. Heikes¹, Victoria Treadaway¹, Ashley S. McNeill¹,², Indira K. C. Silwal³,⁴ and Daniel W. O'Sullivan³

¹Graduate School of Oceanography, University of Rhode Island, Narragansett, RI, 02882, USA
²Department of Chemistry, University of Alabama, Tuscaloosa, AL, 35401, USA
³Chemistry Department, United States Naval Academy, Annapolis, MD, 21402, USA
⁴Department of Chemistry, University of Maine, Orono, 04469, USA

Correspondence to: Brian Heikes (bheikes@uri.edu)

1. Notes on mechanism development and adjustment of kinetic rates to resolve pressure and humidity trends in $O_2^- (H_2O_2)$, $O_2^- (CH_3OOH)$, $O_2^- (CO_2)(H_2O_2)$, $I^- (HFO)$ and $I^- (HAc)$ sensitivities.

1.1 Base thermodynamic data for the $O_2^- - O_2 - CO_2 - H_2O -$ hydroperoxide system.

Formation enthalpy ($\Delta H_f^\circ$), entropy ($\Delta S_f^\circ$), and Gibb's formation energy ($\Delta G_f^\circ$), data are published for some of the neutral, ion and ion-cluster species involved in the $O_2^- - O_2 - CO_2 - H_2O -$ hydroperoxide system. Reaction enthalpy ($\Delta H_r^\circ$), entropy ($\Delta S_r^\circ$), and Gibb's energy ($\Delta G_r^\circ$) data are also available for some of the reactions involved in this system. These thermodynamic data are summarized in Table A5 and Table A6. The NIST Chemistry WebBook (Bartmess, 2016) was used extensively in this analysis as it provides summary information from primary sources. In cases for which multiple values are available and without a recommended value, we have indicated which primary data set we adopted. Additional formation and reaction energies were taken from ab initio calculations by Messer et al. (2000), Cappa and Elrod (2001), Goldsmith et al. (2012) and O'Sullivan et al. (2017). For ions and ion-cluster species and reactions, care must be exercised as to the notation used for the energy terms. Often, but not always, the ion and ion-neutral cluster species and reaction literature follows a negative sign convention with respect to the neutral species and neutral reaction literature. Here we have adopted a sign convention such that exothermic reactions have a negative reaction enthalpy and spontaneous reactions have a negative Gibb's reaction energy.

The following thermodynamic relationship is used to calculate energy terms which were not previously available from the primary literature or the NIST Chemistry WebBook,

$$\Delta H_r^\circ - T_o \times \Delta S_r^\circ = \Delta G_r^\circ$$
where \( T_o = 298.15 \, \text{K} \), \( \Delta H_f^o \) is the stoichiometric sum of the formation enthalpies, \( \Delta H_f^o \), of the products \((j\) index) minus the stoichiometric sum of the formation enthalpies of the reactants \((i\) index),

\[
\Delta H_f^o = \sum^j_i v_j H_{f,j}^o - \sum^i_i v_i H_{f,i}^o
\]

\( \Delta S_f^o \) is the stoichiometric sum of the standard entropies, \( S^o \), of the products minus the stoichiometric sum of the standard entropies of the reactants,

\[
\Delta S_f^o = \sum^j_j v_j S_j^o - \sum^i_i v_i S_i^o
\]

and \( \Delta G_f^o \) is the stoichiometric sum of the Gibb's formation energies, \( \Delta G_f^o \), of the products minus the stoichiometric sum of the Gibb's formation energies of the reactants,

\[
\Delta G_f^o = \sum^j_j v_j G_{f,j}^o - \sum^i_i v_i G_{f,i}^o
\]

where, \( v \) represents the stoichiometric coefficient for a species in a reaction. Formation energies for a reactant or product species are calculated using published \( \Delta H_f^o \) and \( \Delta G_f^o \) for that species as the sole product and the reactants are taken to be in their standard state and form with \( \Delta G_f^o \equiv 0 \) and \( \Delta H_f^o \equiv 0 \). In the case of the \textit{ab initio} calculations, the Gibb's energy at 298.15 K and 1013.25 hPa, \( G^o \), is calculated for each reactant and product and \( \Delta G_f^o \) is calculated by stoichiometrically summing the \textit{ab initio} Gibb's energies (Ochterski, 2000) of the products and then subtracting the stoichiometric sum of the reactants:

\[
\Delta G_f^o = \sum^j_j v_j G_{f,j}^o - \sum^i_i v_i G_{f,i}^o
\]

The formation and reaction energies so calculated in this work are underlined and bold-faced in the Tables A5 and A6.

Goldsmith et al. (2012) estimated formation enthalpies, entropies and Gibb's formation energies for \( CH_3OOH \) and many other low molecular weight combustion related compounds. O'Sullivan et al. (2017) estimated Gibb's reaction energies at 298.15 K and 1013.25 hPa for:

\[
O_2^\cdot + CH_3OOH \rightleftharpoons O_2^- (CH_3OOH) \quad \Delta G_f^o = -231 \, \text{kJ mol}^{-1} \quad \text{(s1)}
\]

\[
O_2^- (H_2O) + CH_3OOH \rightleftharpoons O_2^- (CH_3OOH) + H_2O \quad \Delta G_f^o = -181 \, \text{kJ mol}^{-1} \quad \text{(s2)}
\]

and

\[
O_2^- + H_2O_2 \rightleftharpoons O_2^- (H_2O_2) \quad \Delta G_f^o = -99 \, \text{kJ mol}^{-1} \quad \text{(s3)}
\]

The Gibb's reaction energy given for (s2) has been modified from O'Sullivan's original value as outlined below. The \( \Delta G_f^o \) value for (s3) compares favorably to that estimated using the linear correlation between ion-protonation energy and the Gibb's reaction energies for ion-\( H_2O_2 \) cluster formation (see main paper, \( \Delta G_f^o = -94 \, \text{kJ mol}^{-1} \)). The O'Sullivan et al. calculated \( \Delta G_f^o \)'s for ion-hydrates also agreed well (nominally within 7 kJ mol\(^{-1}\); sixth significant figure in the calculated Gibb's energy) with the NIST Chemistry WebBook tabulations. However, there was a large inconsistency between the
Gibb's reaction energies for (s1) and (s2) and the $\Delta G_f^0$ for $O_2^-(CH_3OOH)$ derived from their calculations using NIST or NIST derived reactant and product $\Delta G_f^0$s from Table A6. The $\Delta G_f^0$ of $O_2^-(CH_3OOH)$ calculated from either (s1) or (s2) was expected to be within 7 kJ mol$^{-1}$ but was found to be -340 or -521 kJ mol$^{-1}$, respectively, using O'Sullivan's original species specific Gibb's energies. The discrepancy was traced to a potential calculation issue for $O_2^-(H_2O)$. The Gibb's energy for $O_2^-(H_2O)$ was recalculated using the NIST Gibb's reaction energy for $O_2^− + H_2O ⇌ O_2^−(H_2O)$ (Table A6) and the O'Sullivan calculated Gibb's energies for $O_2^−$ and $H_2O$. Applying this hybrid Gibb's energy for $O_2^−(H_2O)$ in (s2) rectified the $\Delta G_f^0$ of $O_2^−(CH_3OOH)$ between (s1) and (s2). The resultant $\Delta G_f^0$ of $O_2^−(CH_3OOH)$ was -340 kJ mol$^{-1}$ and the modified $\Delta G_f^0$ for reaction (s2) was -181 kJ mol$^{-1}$. These values are listed in Table A5 and Table A6, respectively.

A second issue exists between the derived NIST Gibb's formation energies and the O'Sullivan et al. (2017) Gibb's reaction energies for the formation of $O_2^−(CO_2)(H_2O_2)$. One pathway to $O_2^−(CO_2)(H_2O_2)$ formation is:

$$O_2^−(CO_2) + H_2O_2 ⇌ O_2^−(CO_2)(H_2O_2) \quad \Delta G_f^0 = -43 \text{ kJ mol}^{-1}$$

(s4)

where the Gibb's reaction energy for (s4) is from O'Sullivan et al. A second pathway to $O_2^−(CO_2)(H_2O_2)$ is:

$$O_2^−(H_2O_2) + CO_2 ⇌ O_2^−(CO_2)(H_2O_2) \quad \Delta G_f^0 = -85 \text{ kJ mol}^{-1}$$

(s5)

and was proposed by us to reconcile the sensitivity trends observed in $O_2^−(CO_2)(H_2O_2)$ as a function of sample flow rate (sample pressure) and humidity. The O'Sullivan et al. calculated Gibb's reaction energy for (s5) is shown. The Gibb's reaction energies suggest both reactions would be spontaneous and the equilibrium constants would strongly favor the products. The Gibb's formation energy of $O_2^−(CO_2)(H_2O_2)$ was determined to be -630 kJ mol$^{-1}$ using the Gibb's formation energies for $O_2^−(CO_2)$ and $H_2O_2$ derived from NIST data and the O'Sullivan et al. Gibb's reaction energy for (s4). Alternatively using the Gibb's formation energies for $O_2^−(H_2O_2)$ and $CO_2$ derived from NIST data and the Gibb's reaction energy for (s5), the Gibb's formation energy for $O_2^−(CO_2)(H_2O_2)$ would be -721 kJ/mol$^{-1}$, a -91 kJ mol$^{-1}$ difference from that determined from (s4). At this point the reaction energies for (s4) and (s5) favored the production of $O_2^−(CO_2)(H_2O_2)$ by both reactions.

The Gibb's formation energies and Gibb's reaction energies for (s4) and (s5) were rectified similarly to the reconciliation of (s1) and (s2) thermodynamics above, but in so doing it reduces the argument for $O_2^−(CO_2)(H_2O_2)$ production by (s5). A key step in this reconciliation was a reanalysis of the energetics of $O_2^−(CO_2)$ production through reaction (s6)

$$O_2^− + CO_2 ⇌ O_2^−(CO_2) \quad \Delta G_f^0 = -49 \text{ kJ mol}^{-1}$$

(s6)

where, the reaction energy is derived from NIST data alone. The O'Sullivan et al. ab initio calculated reaction energy for (s6) was -141 kJ mol$^{-1}$ or 92 kJ mol$^{-1}$ lower than the NIST derived value. Ascribing the difference fully to the calculated Gibb's energy of $O_2^−(CO_2)$ in O'Sullivan's calculation, reducing this quantity by 91 kJ mol$^{-1}$ while keeping the Gibb's reaction energies (s4) the same, necessitated reducing the calculated Gibb's energy for $O_2^−(CO_2)(H_2O_2)$ by the same amount. Propagating this change into the calculation of the Gibb's reaction energy for (s5), lead to $\Delta G_f^0 = +7 \text{ kJ mol}^{-1}$ for this
reaction. Both (s4) and (s5) now yield the same Gibb’s formation energy for \( O_2^- (CO_2)(H_2O_2) \), which is equal to -630 kJ/mol. The species Gibb's formation energies and the Gibb's reaction energies for (s4), (s5), and (s6) are thereby self-consistent but at the expense of the calculated reaction energy for (s5) which is now positive and suggestive of a non-spontaneous reaction with an equilibrium constant slightly favoring the reactants. This only partially weakened the case for reaction (s5) in the formation of \( O_2^- (CO_2)(H_2O_2) \) because, while (s5) as revised is weakly endergonic, the reaction remains exothermic with an enthalpy of \(-20 \text{ kJ mol}^{-1}\) as its expected reduction in entropy is of order \(10^2 \text{ J mol}^{-1} \text{ K}^{-1}\) based upon analogy with other hydroperoxide clustering reaction data (i.e., Böhringer et al., 1984; Messer et al. 2000; Cappa and Elrod, 2001).

1.2 Modified kinetics data for the \( O_2^- – O_2 – CO_2 – H_2O – hydroperoxide \) system with \( I^- – H_2O – H_2O_2 – HFo – HA^c \) chemistry.

After the ion-source tube, the reagent ion stream was assumed to instantaneously mix with ambient air. This air contains myriad other compounds most notably in terms of our reagent ion system: \( H_2O, O_2, CO_2 \) and \( O_3 \). The model mechanism with respect to \( O_2^- \) and its cluster ions with \( H_2O \) and additional \( CO_2 \) and \( O_2 \) follows Mohnen (1971), Kebarle et al. (1972), Fehsenfeld and Ferguson (1974) and Fahey et al. (1982). The full set of species considered and their reactions are listed in Tables A1 and A2, respectively. The species and reactions were developed in stages and the species and reaction indices (the number preceding the reaction) reflect that development. The main paper contains a list of reactions organized by the reacting ion.

Reagent ion hydration was critical. For the first hydrate, hydration can occur directly

\[
O_2^- + H_2O + M \rightarrow O_2^- (H_2O) + M \quad k_f=2.2 \times 10^{-28} \text{ (M=O}_2\text{)}
\]  

or indirectly through \( O_2^- (O_2) \) and possibly \( O_2^- (CO_2) \)

\[
O_2^- + O_2 + M \rightarrow O_2^- (O_2) + M \quad k_f=3 - 5 \times 10^{-31} \text{ (Ike; M=O}_2\text{)}
\]

\[
O_2^- (O_2) + H_2O \rightarrow O_2^- (H_2O) + O_2 \quad k_f=1.5 \times 10^{-9} \text{ (Ike)}
\]

\[
O_2^- + CO_2 + M \rightarrow O_2^- (CO_2) + M \quad k_f=4.7 \times 10^{-29} \text{ (M=O}_2\text{)}
\]

\[
O_2^- (CO_2) + H_2O \rightarrow O_2^- (CO_2) + O_2 \quad k_f=4.3 \times 10^{-10} \text{ (FFB)}
\]

\[
O_2^- (CO_2) + H_2O \rightarrow O_2^- (H_2O) + (CO_2) \quad k_f<10^{-15} \text{ (see discussion)}
\]  

In these and subsequent reaction statements, M denotes a third molecule and the references by: Ada = Adams et al. (1970); Alb = Albritton (1978); Ike = Ikezoe et al. (1986); Fah = Fahey et al. (1982); FF = Fehsenfeld and Ferguson (1974); FFB = Fehsenfeld et al. (1969); Hue = Huertas et al. (1978); PK = Payzant and Kebarle (1972); PP = Pack and Phelps (1966). The reaction rate coefficient for (13), \( k_{13} \), was set equal to \(2.5 \times 10^{-10}\). This value of \( k_{13} \) was calculated assuming the switching reaction pair, (12) and (13),

\[
a. \quad O_2^- (H_2O) + CO_2 \rightleftharpoons O_2^- (CO_2) + H_2O \quad k_{12}=5.8 \times 10^{-10} \text{ (Ada)}
\]
could be combined to form a simple forward/reverse reaction sequence with the equilibrium constant equal to 2.3 (Fehsenfeld and Ferguson, 1974).

**1.3 Mono-carbonate and poly-hydrates.**

Payzant and Kebarle (1972) and Huertas et al. (1978) treated the formation of the second hydrate of $O_2^-$ as a termolecular reaction,

$$O_2^-(H_2O) + H_2O + M \rightarrow O_2^-(H_2O)_2 + M$$

whereas, Kazil (2002) treated this as a bimolecular reaction at pressures above some high-pressure threshold (unstated), $k_f=1.0\times10^{-9}$.

$$O_2^-(H_2O)_2 + M \rightarrow O_2^-(H_2O) + H_2O + M$$

Kebarle et al. (1972) and Fehsenfeld and Ferguson (1974) further suggest a sequence involving $O_2^- (CO_2)$ as a hydration path to $O_2^- (H_2O)_2$ formation:

$$O_2^- (CO_2) + H_2O + M \rightarrow O_2^- (CO_2)(H_2O) + M$$

followed by:

$$O_2^- (CO_2)(H_2O) + H_2O \rightarrow O_2^- (H_2O)_2 + CO_2$$

especially, when $P (CO_2) > P (H_2O)$ such as in the upper troposphere and above. Note, $k_{148}$ presumed by Huertas et al. (1978) is an order of magnitude smaller than the assumed value used by Fahey et al. (1982) and is inconsistent with the reaction rate coefficient for reaction (147) measured by Fahey et al. and the equilibrium constants reported by Kebarle et al. (1972) and Fehsenfeld and Ferguson (1974). Kebarle et al. (1972) and Fehsenfeld and Ferguson (1974) gave equilibrium constants of 7 and 15, respectively, for the switching reaction pair (148) and (147),

$$O_2^- (H_2O)_2 + CO_2 \rightarrow O_2^- (CO_2)(H_2O) + H_2O$$

Further, the reaction products of (147) were not explicitly stated in Fahey et al. (1982) and those shown here were inferred from their discussion and the discussion of Mohnen (1972). The $O_2^- (CO_2)(H_2O)$ cluster generated in reaction (147) provides an alternative $O_2^- (CO_2)$ generating mechanism, (147) followed by (14):

$$O_2^- (CO_2)(H_2O) + M \rightarrow O_2^- (CO_2) + H_2O + M$$

Huertas et al. (1978) attributed his presumed reaction rate coefficient for (14) to Mohnen (1974). Reaction (14) combined with reaction (21) yields a simple equilibrium constant of $9\times10^4$ (atm$^{-1}$; $K_{eq}=k_{21}/k_{14}$). The equilibrium constant for the combined equilibrium reactions $K_{eq}(12,13)$ and $K_{eq}(21,14)$ of $2.1\times10^5$ was within a factor of 5 of the NIST (2016) value for reaction (178)

$$O_2^- (H_2O) + CO_2 + M \rightarrow O_2^- (CO_2)(H_2O) + M$$

$K_{eq}=9.1\times10^5$ (atm$^{-1}$) (NIST) (178)

$k_f$(est)=1x10^{-28} (Hue)
Kebarle et al. (1972) proposed reactions of the form:

\[ O_2^- (H_2O)_{n>2} + CO_2 \rightarrow O_2^- (CO_2)(H_2O)_{n-1} + H_2O \]

in their preliminary mechanism. Mohnen (1972) indicated these reactions were unlikely for \( n > 3 \) and Fahey et al. (1982) indicated these reactions are endothermic and slow for \( n > 1 \). There is some evidence for \( O_2^- (CO_2) \) hydrates up to \( n = 2 \) in Mohnen (1972) and reactions:

\[ O_2^- (CO_2)(H_2O) + H_2O + M \rightarrow O_2^- (CO_2)(H_2O)_{2} + M \] (180)

and

\[ O_2^- (CO_2)(H_2O)_{2} + M \rightarrow O_2^- (CO_2)(H_2O) + H_2O + M \] (181)

were included in our mechanism. Mohnen (1971) and Kebarle et al. (1972) included these reactions in their \( O_2^- \), \( CO_2 \), and \( H_2O \) mechanisms and Kebarle et al. gave a measured reaction enthalpy. In one of the \( O_2^- \), \( CO_2 \), and \( H_2O \) drift-tube experiments of Mohnen (1972), Mohnen called out strong signals attributed to \( O_2^- (CO_2) \) and \( O_2^- (CO_2)(H_2O) \) and weaker signals attributed to \( O_2^- (H_2O)_{n=4-7} \). While not specifically mentioned, weaker signals were also present in his data figure at masses of 50, 68, 86 and 112, which correspond to \( O_2^- (H_2O)_{n=1-3} \) and \( O_2^- (CO_2)(H_2O)_{2} \), respectively. Huertas et al. (1976) included the reaction pair, (180) and (181), in their mechanism following Kebarle et al. and assumed the reaction rate coefficients were \( 1 \times 10^{-28} \) and \( 1 \times 10^{-13} \), respectively. The latter value for \( k_{181} \) was stated to be from Mohnen (1974), which in turn refers to Mohnen (1971; 1972) but was not explicitly found within these three references. Here, we have included only the first and second order hydrates of \( O_2^- (CO_2) \) in our model scheme. Higher order \( O_2^- \) hydrates (up to \( n = 5 \)) are included (see reactions 70, 71, 192, 193, 194, and 195) as they comprise a significant fraction of \( O_2^- \) at higher ambient and laboratory humidities.

The sensitivity trends in ion-hydroperoxide chemistry were difficult to reproduce and additional reaction schemes were employed. First it was thought the problem lay within reaction rate coefficients for reactions (12), (13), (14), (21), (24), (147), and (148) describing the \( O_2^- (H_2O) - (CO_2) \) switching system as outlined below. Next, ozone, \( O_3 \), present in the sample air could alter PCIMS hydroperoxide sensitivity as \( O_3 \) reacts with \( O_2^- \) reducing the \( O_2^- \) concentration and producing \( O_3^- \) and \( CO_3^- \) ions. Reactions capturing this chemistry were included. Also, a slower rate of reaction for (13) was required. Through systematic adjustment, we found \( k_{13} \) needed to be at or below \( 10^{-12} \) to leave sufficient \( O_2^- \), \( O_2^- (H_2O) \) and \( O_2^- (CO_2) \) to fit our sensitivity data. This was approximately two orders of magnitude lower than predicted by the reaction (12)-(13) equilibrium. The following supported a potentially lower reaction rate coefficient for (13):

1) Banic and Iribarne (1985) argue \( O_2^- (CO_2) \) is a “very stable” ion cluster in the troposphere and assumed it to be covalently bonded based upon Fehsenfeld and Ferguson (1974). In Fehsenfeld and Ferguson (1974) a covalently bonded \( O_2^- (CO_2) \) cluster is not explicitly discussed although covalent bonding is discussed by them with respect to \( HO^- + SO_2 \) and \( Cl^- + SO_2 \) cluster reactions. They did, however, discuss reaction (13) indirectly, implying it
was “slow”. We infer this “slowness” is what lead to Banic and Iribarne’s suggestion of covalent bonding in the $O_2^-(CO_2)$ cluster ion, as stronger covalent bonding would be expected in a slowly reacting cluster ion such as (13).

2) Hiraoka and Yamabe (1992) discuss evidence of covalent bonding in the $O_2^-(CO_2)$ ion because of a noted jump in cluster reaction enthalpy for the addition of additional $CO_2$ to $O_2^-(CO_2)$ as compared to the reaction enthalpy changes noted with the addition of $CO_2$ to $CO_3^-$ and $NO_2^-$ ions. This was interpreted as an indication of covalent bonding in $O_2^-(CO_2)$.

3) Hayhurst et al. (1992) show $O_2^-(CO_2)$ to increase in dry or wet air “rich” in $CO_2$ (>100 ppm, and in keeping with our system) with a maximum in dry $CO_2$ rich air but to virtually disappear in wet air “deficient” in $CO_2$ (<2 ppm).

4) Fehsenfeld and Ferguson further stated hydrated $O_2^-(CO_2)$ [i.e., $O_2^- (CO_2)(H_2O)$] reacts with $H_2O$ eliminating $CO_2$ thereby making $O_2^-(H_2O)_2$. In turn $O_2^-(H_2O)_2$ can undergo dehydration to $O_2^-(H_2O)$. Thus, the reaction sequence:

$$O_2^-(CO_2) + H_2O + M \rightarrow O_2^-(CO_2)(H_2O) + M \quad k_{21}=1x10^{-30} \text{(est)} \quad (21)$$

$$O_2^-(CO_2)(H_2O) + H_2O \rightarrow O_2^-(H_2O)_2 + CO_2 \quad k_{148}(\text{est})=1x10^{-9} \text{(Fah)} \quad (148)$$

$$O_2^-(H_2O)_2 + M \rightarrow O_2^-(H_2O) + H_2O + M \quad k_{51}=1.1x10^{-14} \text{(PK, FF)} \quad (51)$$

results in a reaction sequence with products identical to those in (13).

5) O’Sullivan et al. (2017) simulated the bonding in $O_2^-(CO_2)$ using an ab initio method and suggested it is an adduct with weak covalent bonding.

6) Last, the value shown for $k_{21}$ fits our $O_2^-(CO_2)(H_2O_2)$ sensitivity trend with water vapor much better than the reaction rate coefficient of $1x10^{-28}$ estimated by Huertas et al. (1978) and subsequently cited by others (e.g., Popov, 2010). Mohnen (1971) also estimated a value of $1x10^{-29}$ and which was smaller than that in Huertas.

We hypothesize a reaction sequence like (21), (148) and (51) together with (12) could give rise to a steady-state system in which a reaction like (13) appears in the net but occurs slowly if at all directly.

Reactions or reaction sequences represented by (149)-(152)

$$O_2^-(H_2O)_2 + H_2O_2 \rightarrow O_2^-(H_2O_2) + 2 H_2O \quad k_{149}=5.0x10^{-10} \text{(est)} \quad (149)$$

$$O_2^-(H_2O)_3 + H_2O_2 \rightarrow O_2^-(H_2O_2) + 3 H_2O \quad k_{150}=2.5x10^{-10} \text{(est)} \quad (150)$$

$$O_2^-(H_2O)_2 + CH_3OOH \rightarrow O_2^-(CH_3OOH) + 2 H_2O \quad k_{151}=1.0x10^{-10} \text{(est)} \quad (151)$$

$$O_2^-(H_2O)_3 + CH_3OOH \rightarrow O_2^-(CH_3OOH) + 3 H_2O \quad k_{152}=5.0x10^{-12} \text{(est)} \quad (152)$$

followed by (160) and (161):

$$O_2^-(CO_2) + H_2O_2 \rightarrow O_2^-(H_2O_2) + CO_2 \quad k_{160}=6.0x10^{-10} \text{(est)} \quad (160)$$

$$O_2^-(CO_2) + CH_3OOH \rightarrow O_2^-(CH_3OOH) + CO_2 \quad k_{161}=4.0x10^{-10} \text{(est)} \quad (161)$$
were added to the mechanism. Their inclusion improved the pressure dependent sensitivity and water vapor trends for the $O_2^-$ hydroperoxide clusters but did not significantly improve the pressure and water vapor sensitivity trends in $O_2^-(CO_2)(H_2O_2)$.

Next ozone effects on the chemistry were included. $O_3$ present in the sample air could alter the peroxide chemical ionization mass spectrometer (PCIMS) hydroperoxide sensitivity as $O_3$ reacts with $O_2^-$ reducing the $O_2^-$ concentration and producing $O_3^-$ and $CO_3^-$ ions:

$$O_2^- + O_3 \rightarrow O_3^- + O_2 \quad (8)$$
$$O_3^- + CO_2 \rightarrow CO_3^- + O_2 \quad (9)$$

Additionally, $O_3$ reacts with $O_2^-(CO_2)$ and $O_2^-$ hydrate clusters:

$$O_2^-(CO_2) + O_3 \rightarrow O_3^- + CO_2 + O_2 \quad (46)$$
$$O_2^-(H_2O) + O_3 \rightarrow O_3^- + H_2O + O_2 \quad (47)$$
$$O_2^-(H_2O)_2 + O_3 \rightarrow O_3^- (H_2O) + H_2O + O_2 \quad (52)$$
$$O_2^-(H_2O)_3 + O_3 \rightarrow O_3^- (H_2O)_2 + H_2O + O_2 \quad (146)$$

to produce additional $O_3^-$, $CO_3^-$ and their hydrates. The $O_3$ reaction rate coefficients were assigned the same value regardless of the extent of $O_2^-$ hydration and carbonation in keeping with Fahey et al. (1982) who pointed out the addition of $CO_2$ or $H_2O$ did not significantly reduce the reaction rate coefficient between $O_2^-$ or its cluster ions with $O_3$. $O_3$ has the potential to shift the ion population from $O_2^-, O_2^-(H_2O)_n$ and $O_2^-(CO_2)_m$ to $O_3^-$ and $CO_3^-$.  

1.4 Iodide

Iyer et al. (2016) using ab initio methods estimated reaction rate coefficients and binding energies for $I^-$ with $HFO$ and $HAc$. They also calculated binding energies for $I^-$ reactions with $H_2O_2$ and $CH_3OOH$ using the same methodology (Iyer, Pers. Comm., 2016). The respective binding energies for $I^-(HFO)$, $I^-(HAc)$, $I^-(H_2O_2)$, and $I^-(CH_3OOH)$ are 100, 73, 70, and 60 kJ mol$^{-1}$. Iyer et al. predicted sensitivities for many organic compounds based on the correlation of their calculated binding energies and the experimental sensitivities for organic acids published in Lee et al. (2014) for a CIMS TOF $I^-$ instrument. We have normalized their predicted sensitivities to $I^-(HFO)$ and the relative sensitivities are 1.000, 0.034, 0.007, and 0.001 for $I^-(HFO)$, $I^-(HAc)$, $I^-(H_2O_2)$, and $I^-(CH_3OOH)$, respectively. This ranking is consistent with the observations of O'Sullivan et al. (2017) in which they noted observing $I^-(H_2O_2)$ but not $I^-(CH_3OOH)$ clusters with the PCIMS instrument and with Treadaway et al. (2017) in which they observed a weak standard addition calibration signal for $I^-(CH_3OOH)$ in the laboratory and during FRAPPE (Treadaway et al., 2017; Fig. 3). Fig. 8-10 (main paper) showed the sensitivity for $I^-(H_2O_2)$, $I^-(HFO)$, and $I^-(HAc)$ as a function of water vapor. The sensitivity of $I^-(CH_3OOH)$ appeared to be independent of water vapor from the laboratory work, although the FRAPPE field calibrations suggested (Treadaway et
al. 2017; Fig. 4) the sensitivity may increase with water like $I^- (HFO)$ whereas, $I^- (H_2O_2)$ and $I^- (HAc)$ decrease over the limited range in humidity encountered in FRAPPE.
2. References


Mohnen, V.A.: Discussion of the formation of major positive and negative ions up to the 50 km level, P. Appl. Geophys., 84, 141-151, 1971.


